

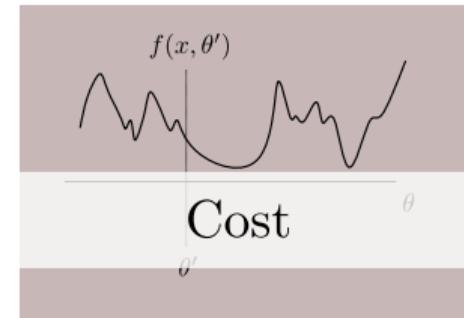
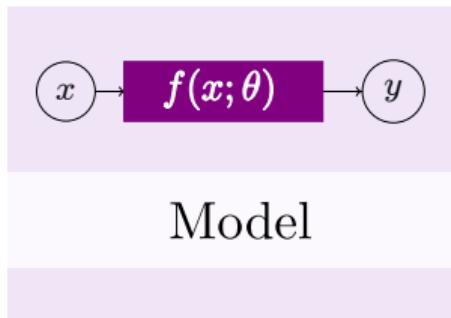
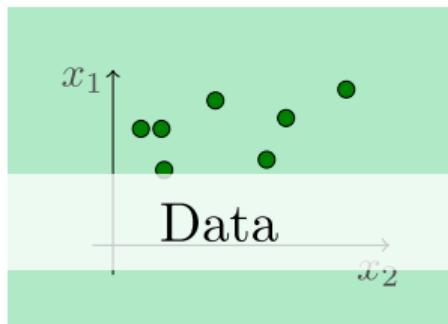
Quantum Machine Learning

Maria Schuld, Xanadu

Hackaday Meetup, October 2020

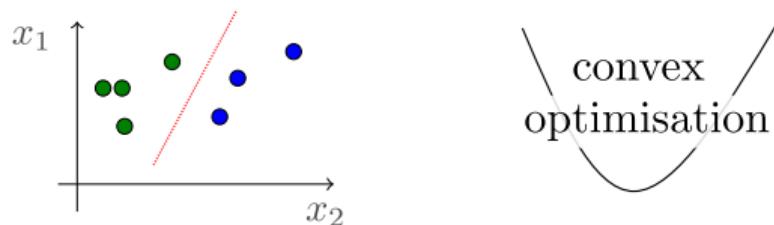
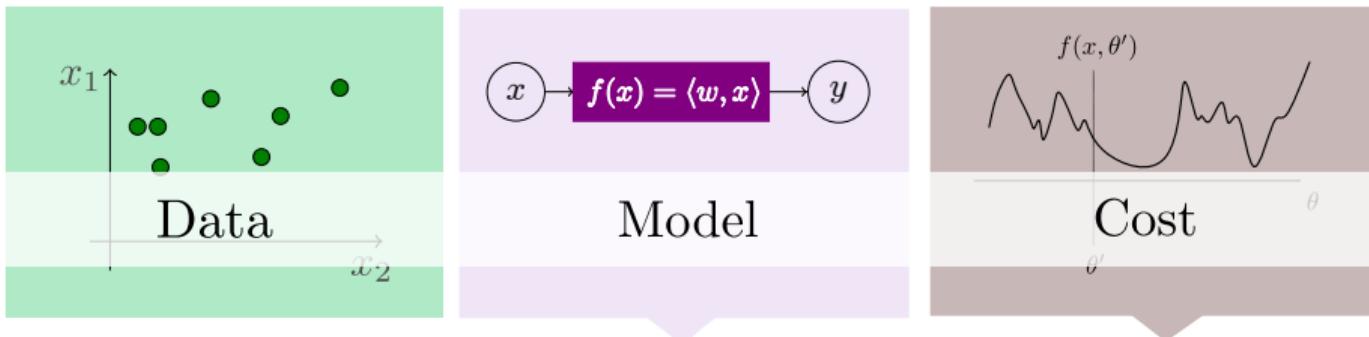


Machine Learning



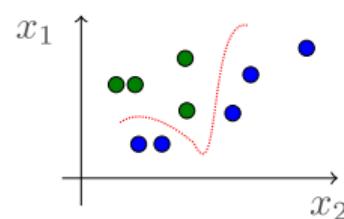
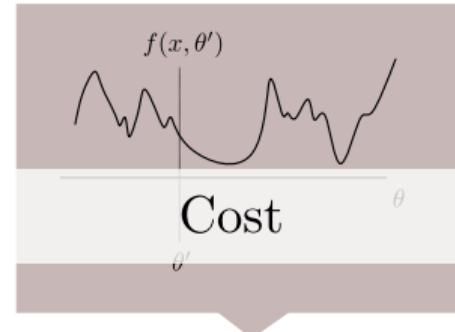
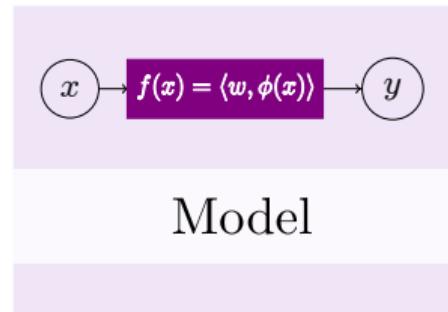
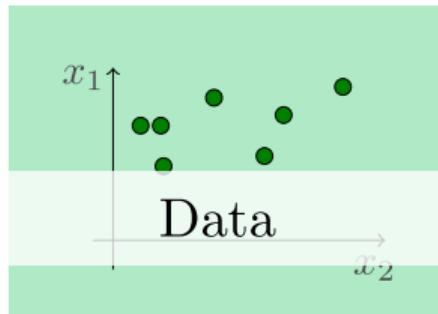
Use data samples
to construct model
that minimises cost
on unseen data.

Linear models



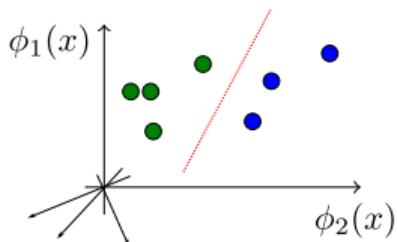
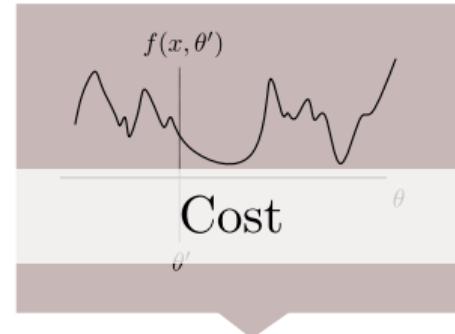
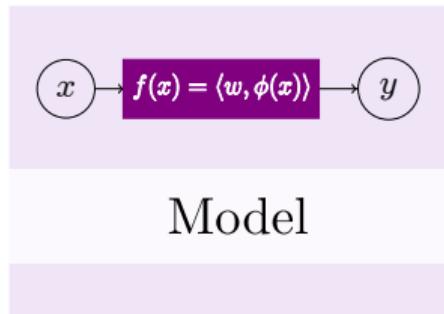
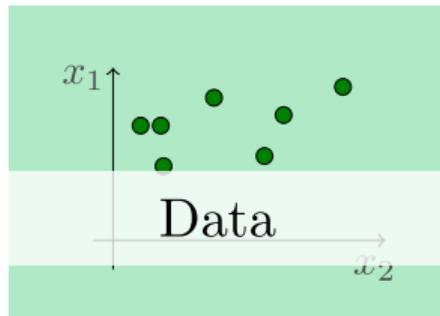
convex
optimisation

Kernel methods



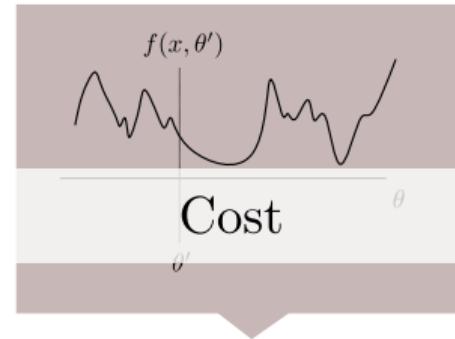
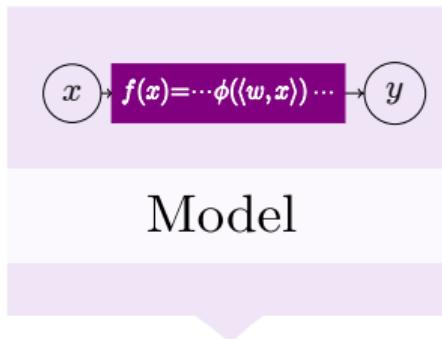
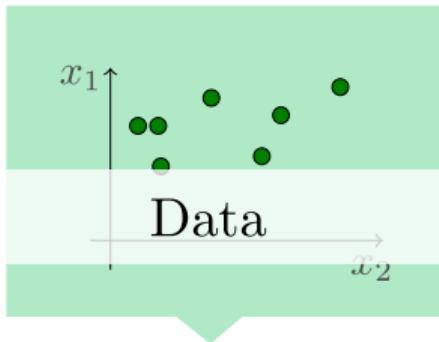
convex
optimisation

Kernel methods



convex
optimisation

Deep learning



Big



Composable & differentiable



nonconvex
optimisation

- gradient descent
- high performance hardware
- special purpose software

How could quantum computing help?

- ▶ Data

- ▶ use fewer data samples (Arunachalam 1701.06806)
- ▶ process “quantum data” (folklore)

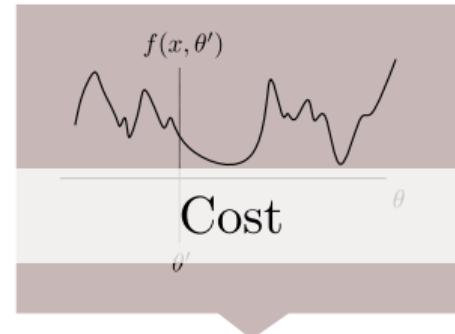
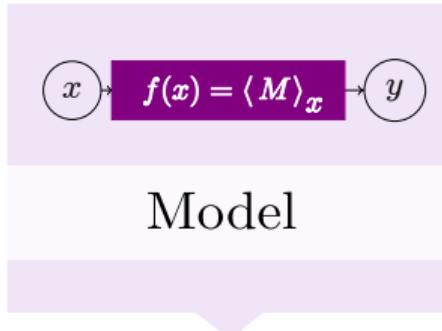
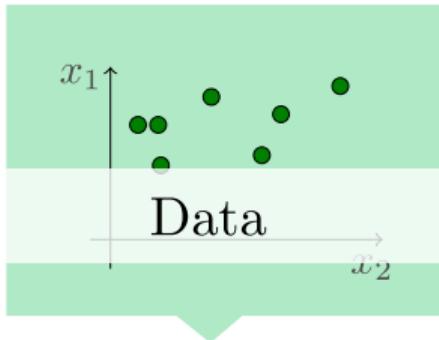
How could quantum computing help?

- ▶ Data
 - ▶ use fewer data samples (Arunachalam 1701.06806)
 - ▶ process “quantum data” (folklore)
- ▶ Optimisation
 - ▶ speed up optimisation (Wiebe et al. 1204.5242, Rebentrost et al. 1307.0471, Denil & Freitas ~ 2012 cs.ubc.ca/~nando/)
 - ▶ find better solutions (?)

How could quantum computing help?

- ▶ Data
 - ▶ use fewer data samples (Arunachalam 1701.06806)
 - ▶ process “quantum data” (folklore)
- ▶ Optimisation
 - ▶ speed up optimisation (Wiebe et al. 1204.5242, Rebentrost et al. 1307.0471, Denil & Freitas ~ 2012 cs.ubc.ca/~nando/)
 - ▶ find better solutions (?)
- ▶ Model
 - ▶ speed up existing models (Paraoanu et al. 1401.4997, Low et al. 1402.7359, Allcock et al. 1812.03089)
 - ▶ design new models (Amin et al. 1601.02036, Benedetti et al. 1906.07682)

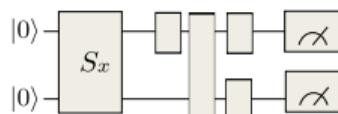
We can train quantum circuits like neural nets.



Big



Composable & differentiable

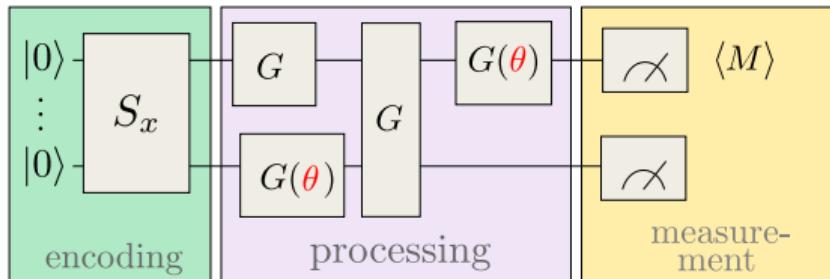


nonconvex
optimisation

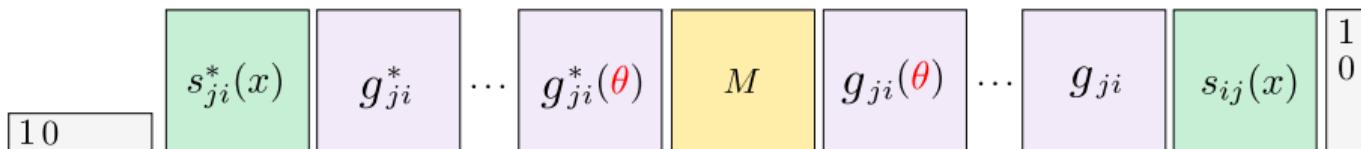
- gradient descent
- high performance hardware
- special purpose software

Variational circuits as composable & differentiable models.

PHYSICAL CIRCUIT

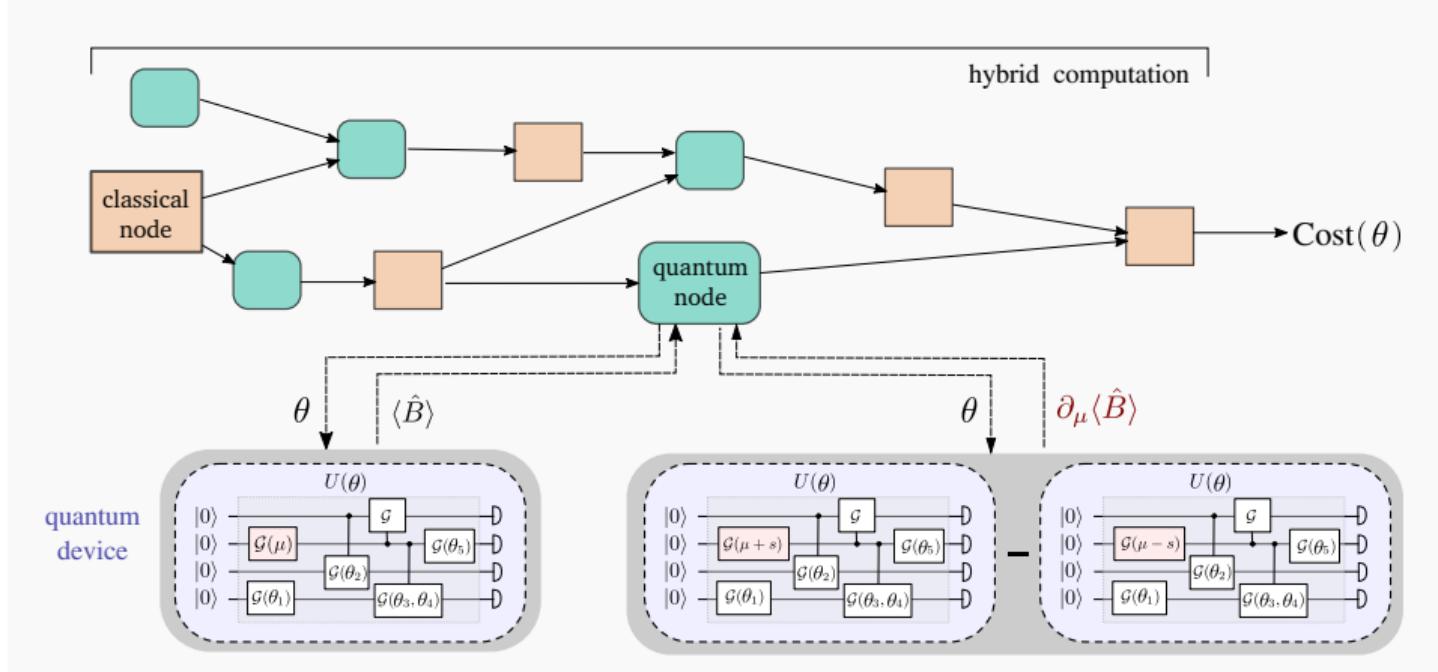


MATHEMATICAL DESCRIPTION



Farhi & Neven 1802.06002, Schuld et al. 1804.00633

Variational circuits as composable & differentiable models.



Guerreschi & Smelyanskiy 1701.01450, Mitarai et al. 1803.00745, Schuld et al. 1811.11184

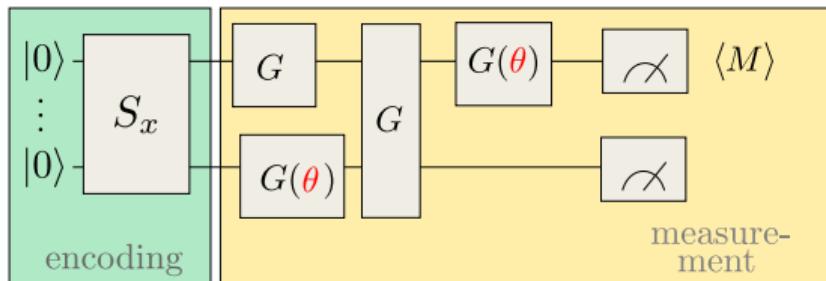
Variational circuits as composable & differentiable models.

```
1  import torch
2  from torch.autograd import Variable
3
4  data = torch.tensor([(0., 0.), (0.1, 0.1), (0.2, 0.2)])
5
6  def model(phi, x=None):
7      return x*phi
8
9
10 def loss(a, b):
11     return torch.abs(a - b) ** 2
12
13 def av_loss(phi):
14     c = 0
15     for x, y in data:
16         c += loss(model(phi, x=x), y)
17     return c
18
19 phi_ = Variable(torch.tensor(0.1), requires_grad=True)
20 opt = torch.optim.Adam([phi_], lr=0.02)
21
22 for i in range(5):
23     l = av_loss(phi_)
24     l.backward()
25     opt.step()
26
27 from pennylane import *
28 import torch
29 from torch.autograd import Variable
30
31 data = [(0., 0.), (0.1, 0.1), (0.2, 0.2)]
32
33 dev = device('default.qubit', wires=2)
34
35 @qnode(dev, interface='torch')
36 def circuit(phi, x=None):
37     templates.AngleEmbedding(features=[x], wires=[0])
38     templates.BasicEntanglerLayers(weights=phi, wires=[0, 1])
39     return expval(PauliZ(wires=[1]))
40
41 def loss(a, b):
42     return torch.abs(a - b) ** 2
43
44 def av_loss(phi):
45     c = 0
46     for x, y in data:
47         c += loss(circuit(phi, x=x), y)
48     return c
49
50 phi_ = Variable(torch.tensor([0.1, 0.2], [-0.5, 0.1])), requires_grad=True)
51 opt = torch.optim.Adam([phi_], lr=0.02)
52
53 for i in range(5):
54     l = av_loss(phi_)
55     l.backward()
56     opt.step()
```

pennylane.ai

Quantum models are similar to kernel methods.

PHYSICAL CIRCUIT

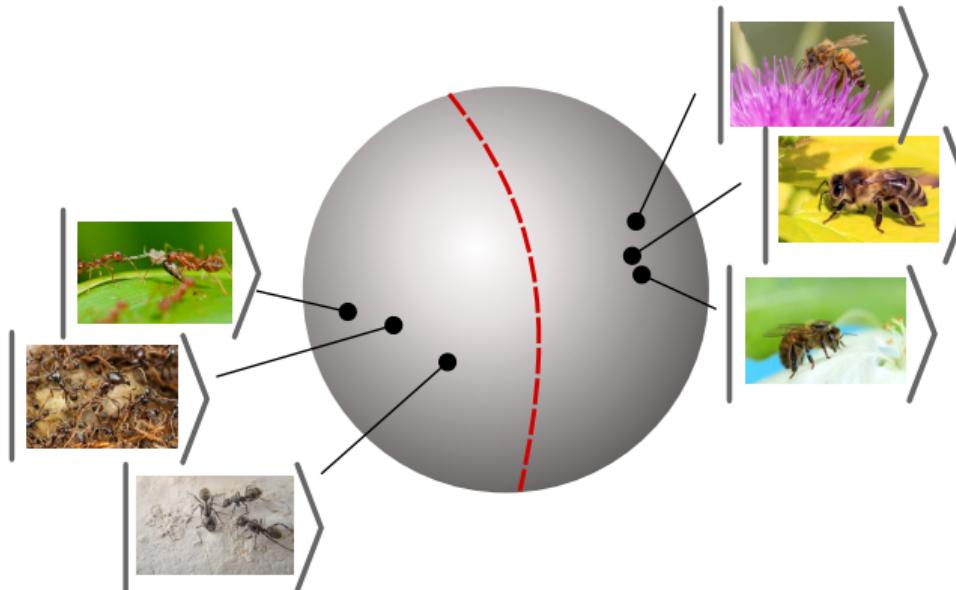


MATHEMATICAL DESCRIPTION

The mathematical description consists of four boxes arranged horizontally. From left to right: 1) A light green box containing the expression $s_{ji}^*(x)$. 2) A light orange box containing the expression $M(\theta)$. 3) A light green box containing the expression $s_{ij}(x)$. 4) A white box containing the vector $\begin{bmatrix} 1 \\ 0 \end{bmatrix}$.

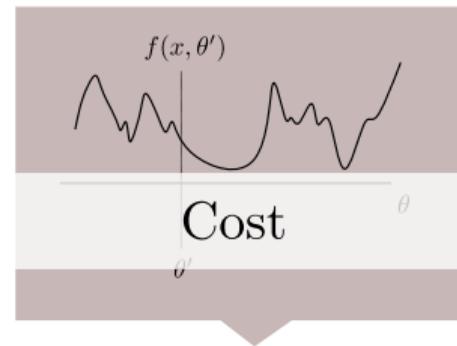
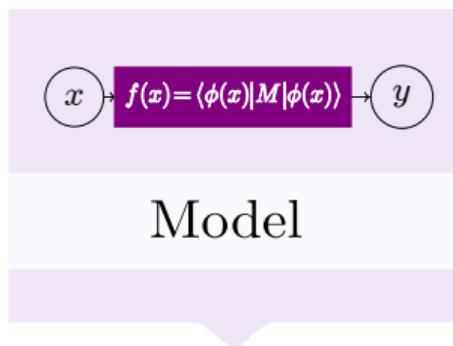
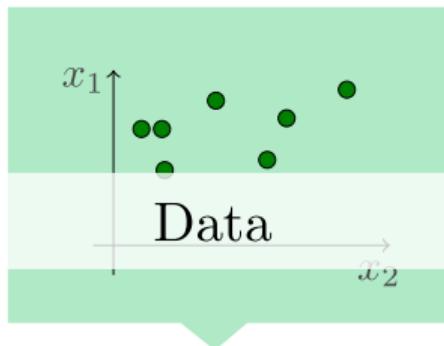
Schuld & Killoran 1803.07128, Havlicek et al. 1804.11326, Lloyd et al. 2001.03622

Quantum models are similar to kernel methods.



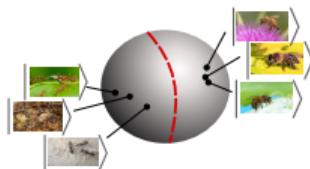
Lloyd et al. 2001.03622

Quantum models are similar to kernel methods.



Big

Composable & differentiable



nonconvex optimisation
OR
convex optimisation

Thank you!

www.pennylane.ai
www.xanadu.ai
@XanaduAI